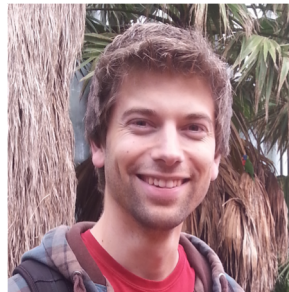


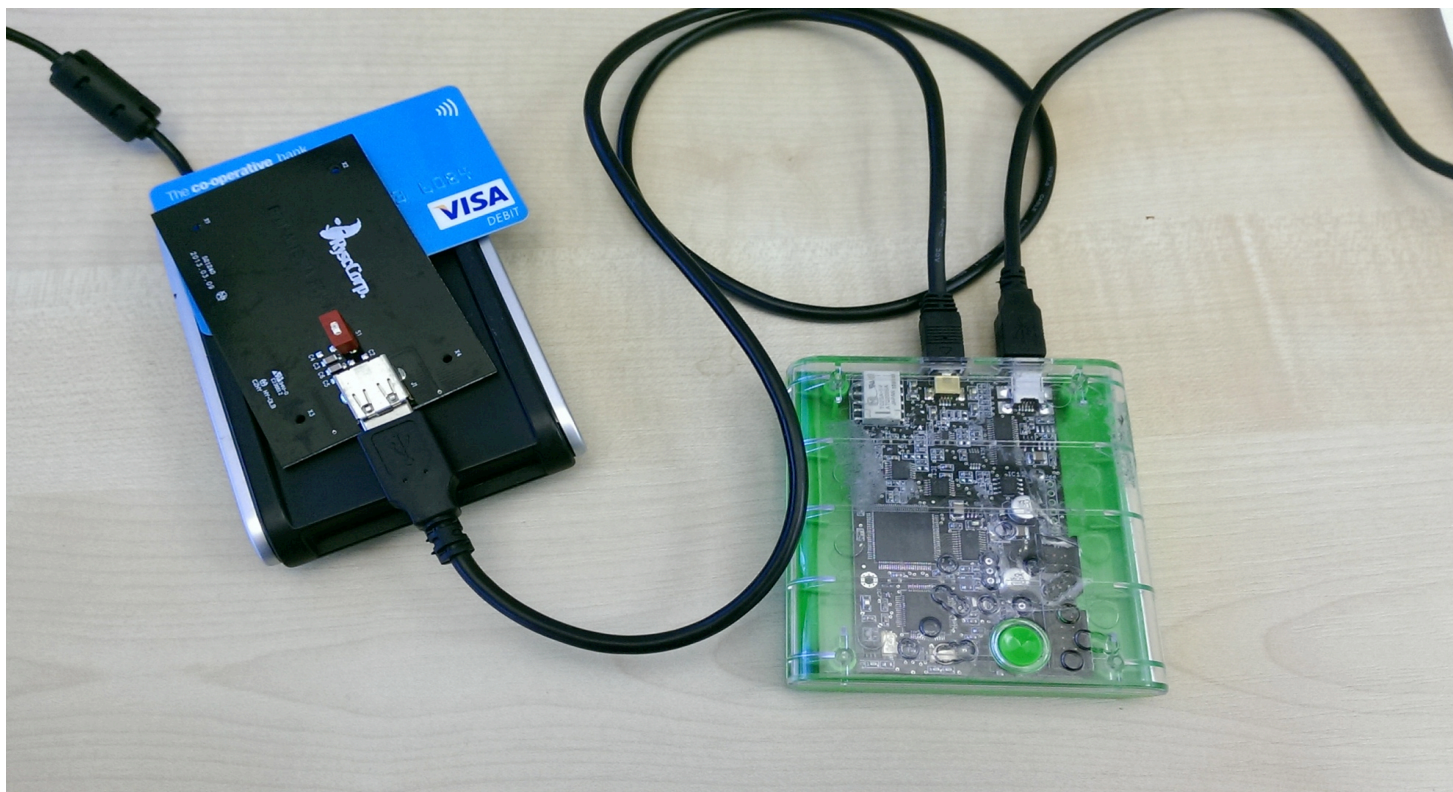
Modelling and Analysis of a Hierarchy of Distance Bounding Attacks

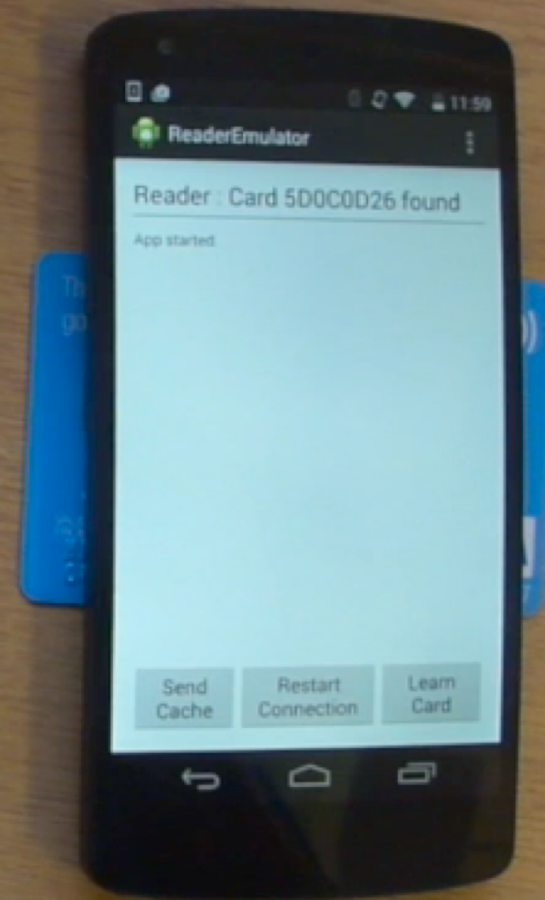
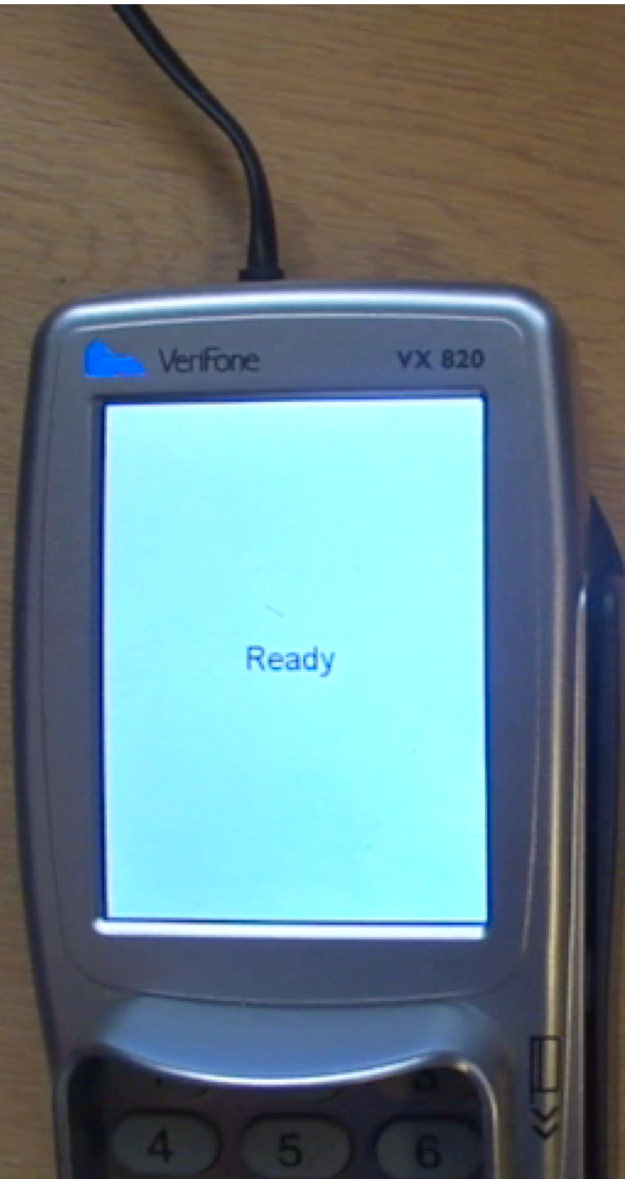
Tom Chothia, Joeri de Ruiter and Ben Smyth



Introduction

- Contactless EMV & relay attacks
- A protocol to stop relay attacks on EMV
- A extension of the applied pi-calculus to model DB protocols
- Automatically checking previously defined symbolic properties.
- A Hierarchy of DB properties.
- Examples: Contactless EMV & NXP's DB protocol.



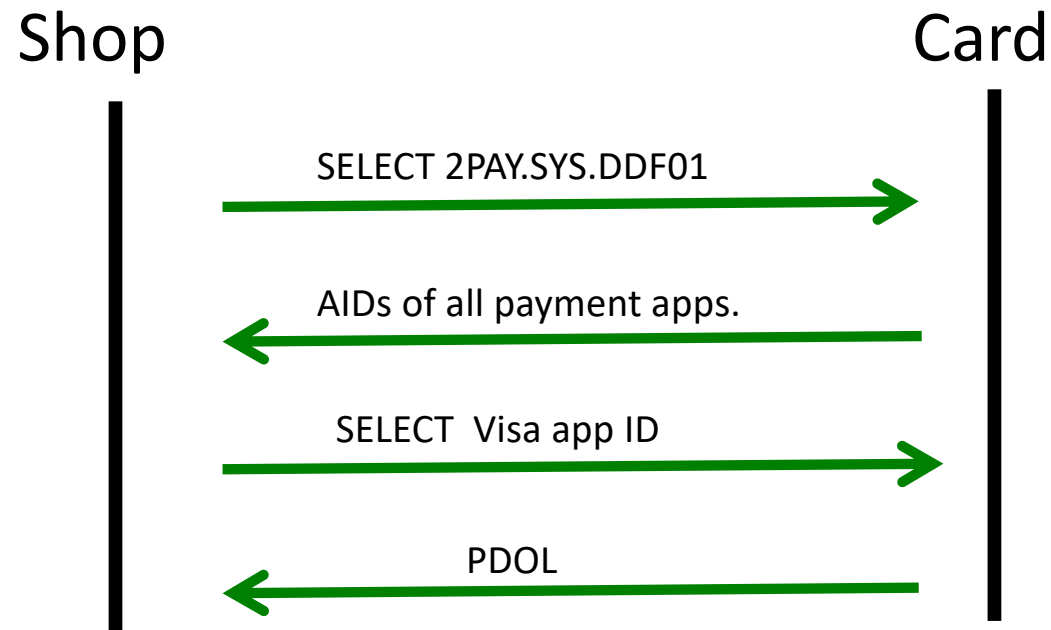


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Camera 01

Visa's Protocols



PDOL = Processing Options Data Object List

- list of data the reader must provide to the card.

PDOL

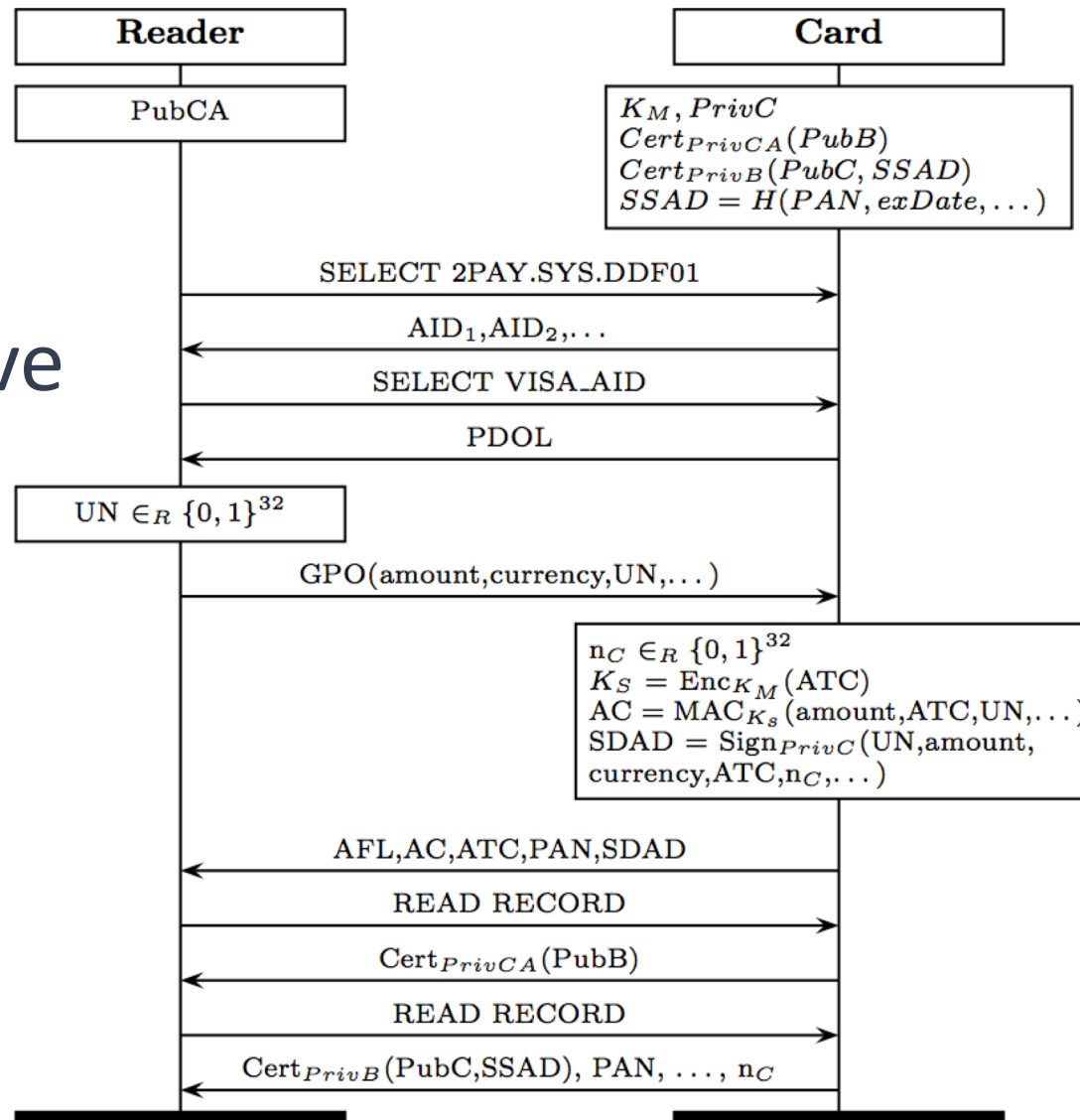
9F38189F66049F02069F03069F1A0295055F2A029A039C019F37045F2D02656E9000

which parses as:

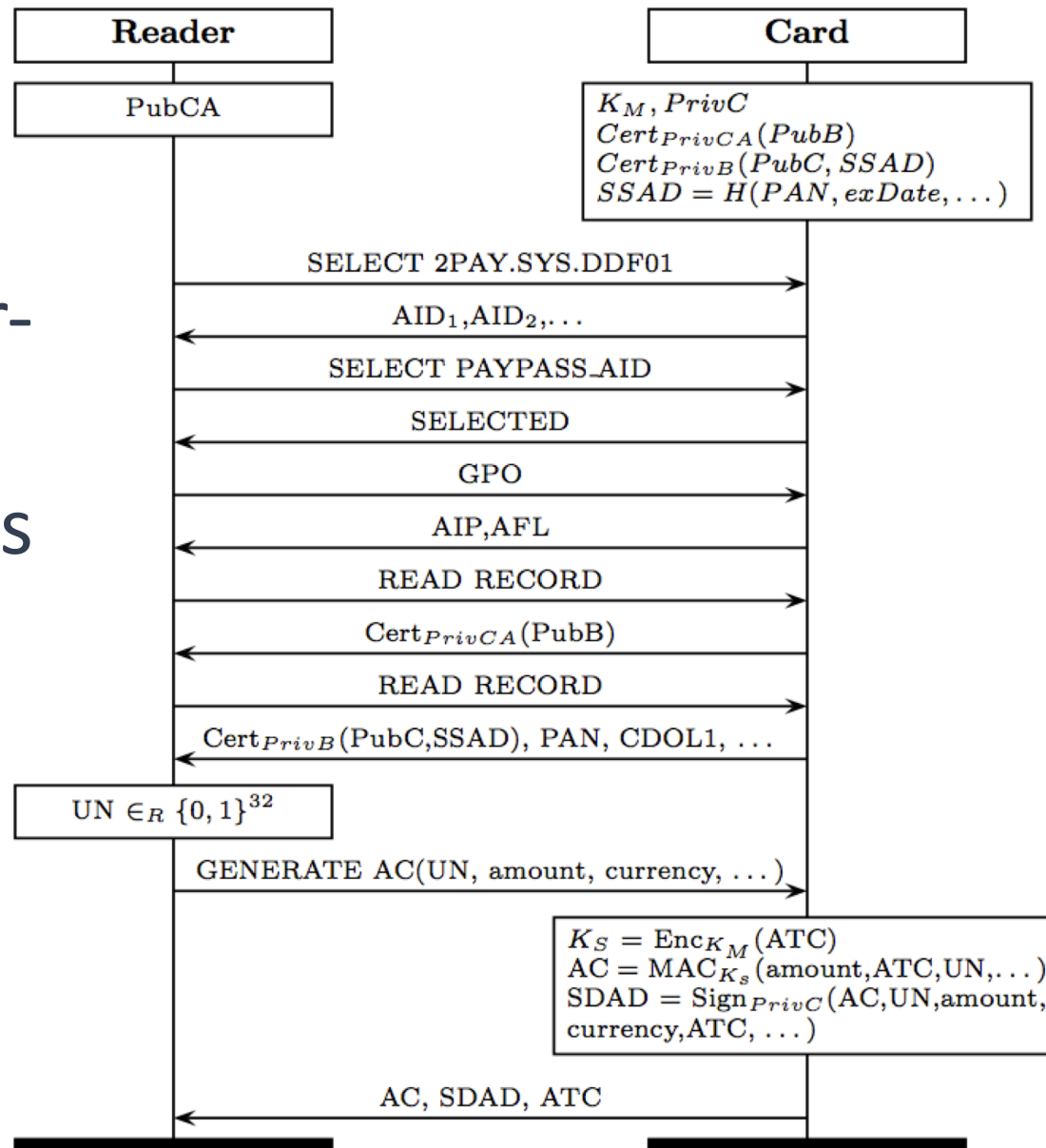
9F38 | len:18 Processing Options Data Object List (PDOL)

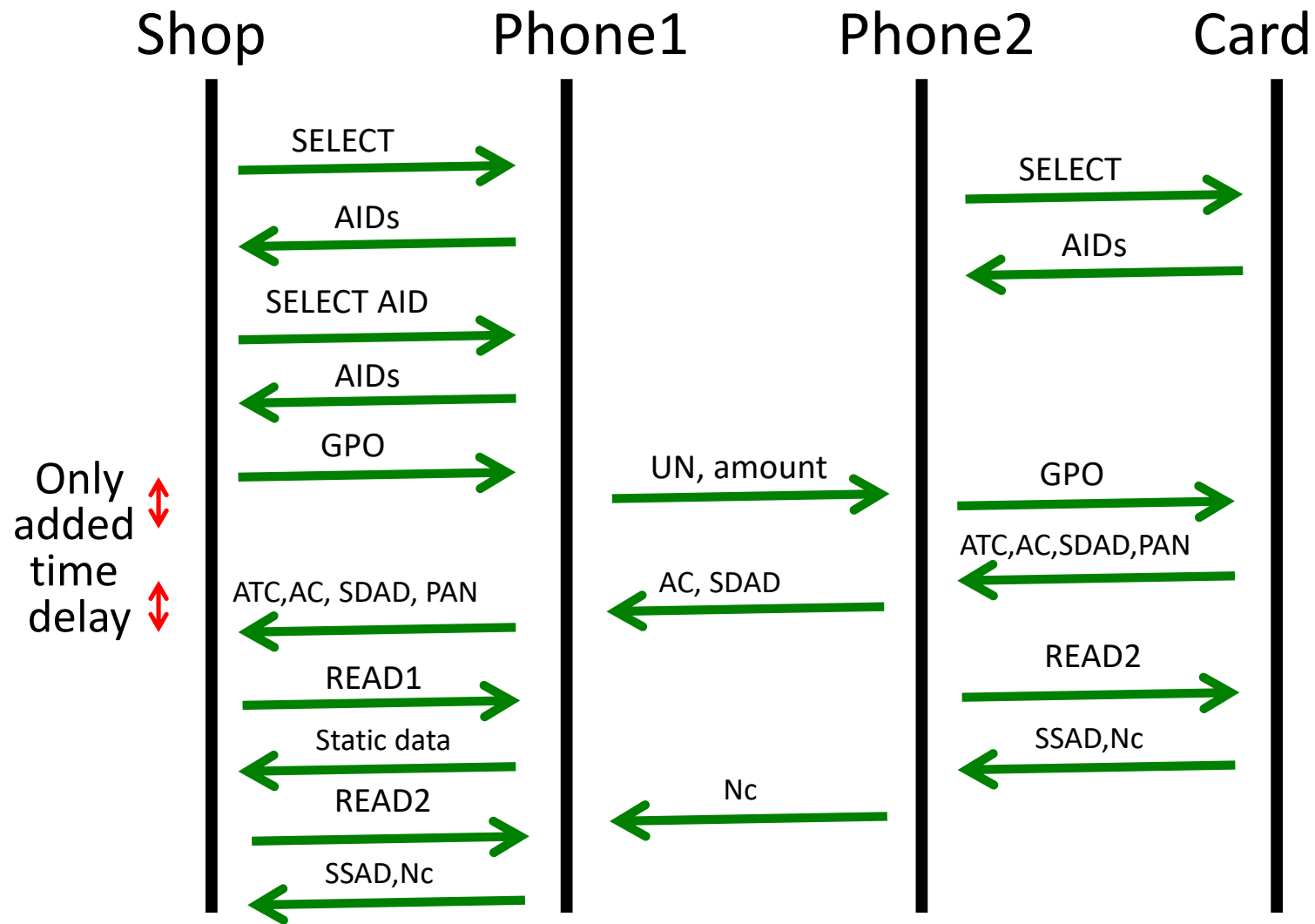
9F66	len:04	Card Production Life Cycle
9F02	len:06	Amount, Authorised (Numeric)
9F03	len:06	Amount, Other (Numeric)
9F1A	len:02	Terminal Country Code
95	len:05	Terminal Verification Results
5F2A	len:02	Transaction Currency Code
9A	len:03	Transaction Date
9C	len:01	Transaction Type
9F37	len:04	Unpredictable Number

Visa's PayWave



Master- card's PayPass



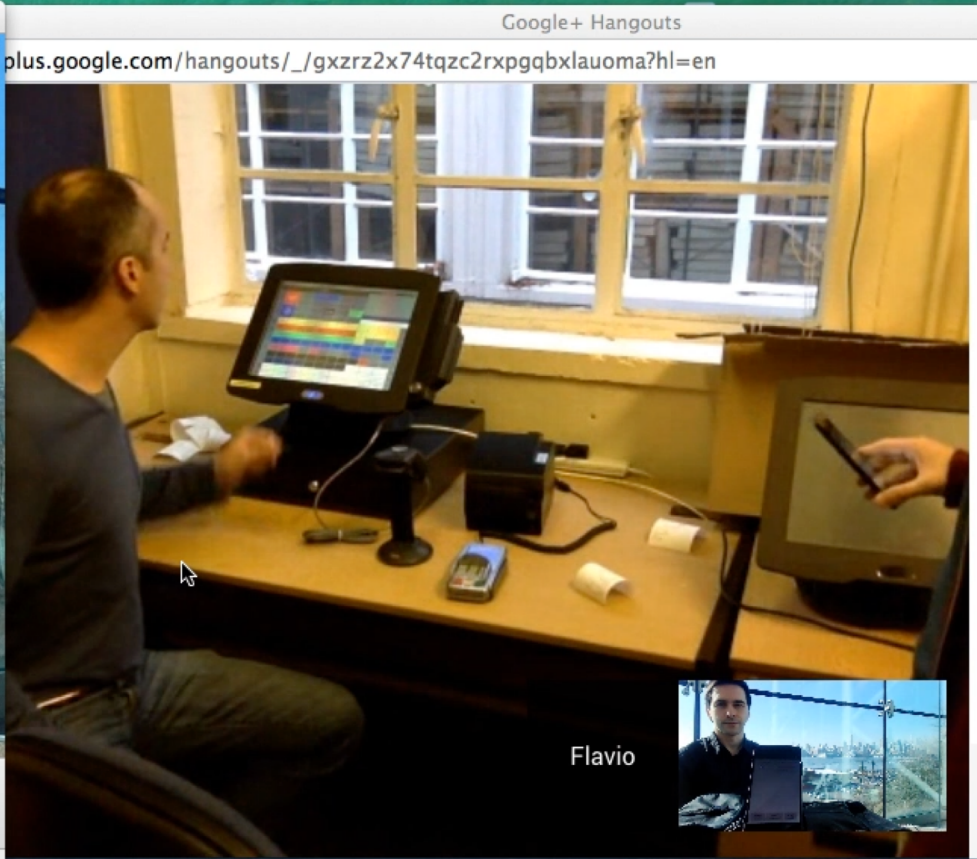


Relay timing

- We measured the exact transaction times for a number of cards.
 - Fastest 330ms
 - Slowest 637ms
- Fastest relayed transaction: 485ms
- Placement of card can have an affect > 80ms for longest messages.



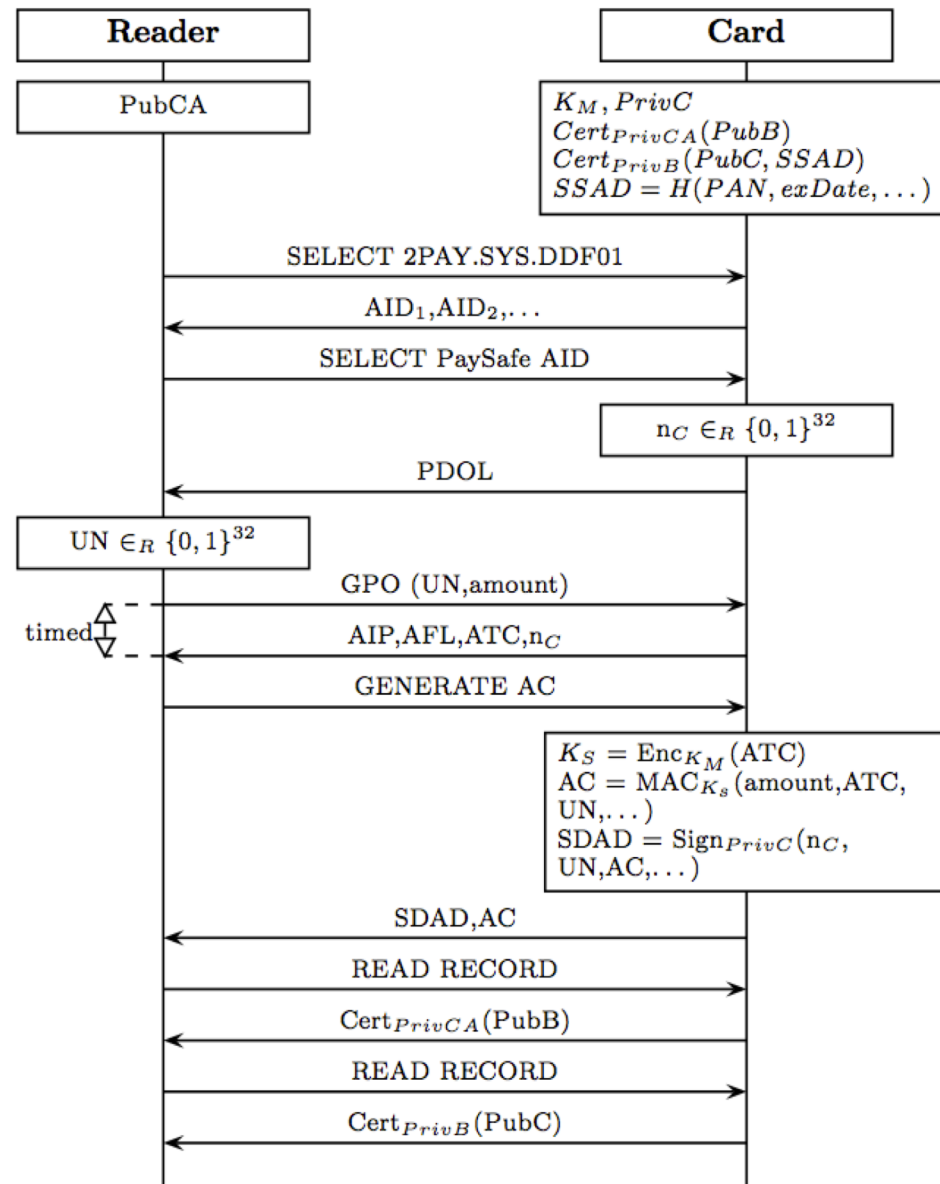
- ABN Amro (Dutch)
 - Time for card to complete a purchase: 637ms
 - Time for relay to complete a purchase: 627ms.



Attacker model

- We only want to stop someone using a relay to steal money or a car. Nothing more, nothing less.
- We assume the relay adds a significant delay.
- We work in the symbolic model:
 - Idealized crypto
 - Message integrity
 - No side channels

PaySafe

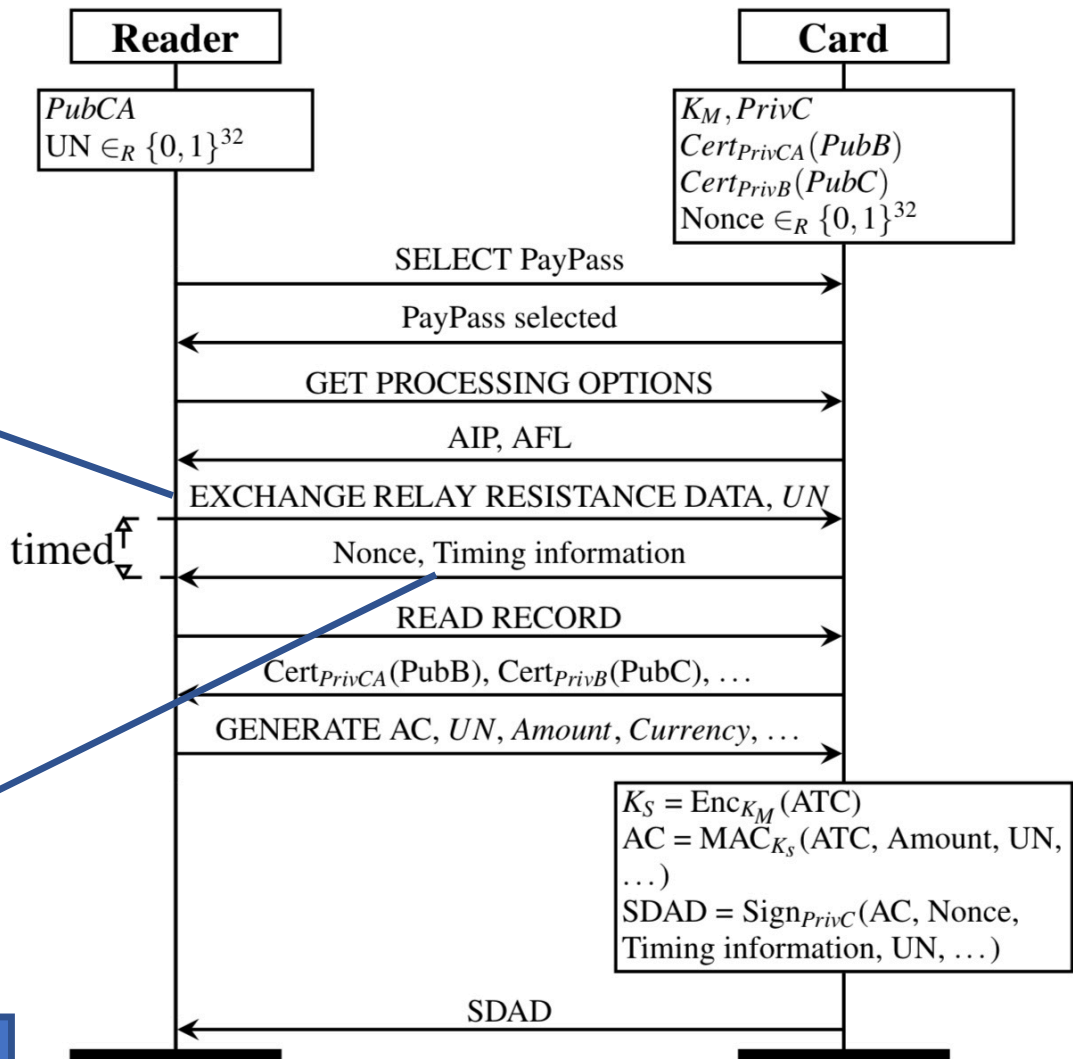


MasterCard's Relay Resistance Protocol (RRP)

Uses New Command

Timing profile sent by card

We check this as
auth. propriety

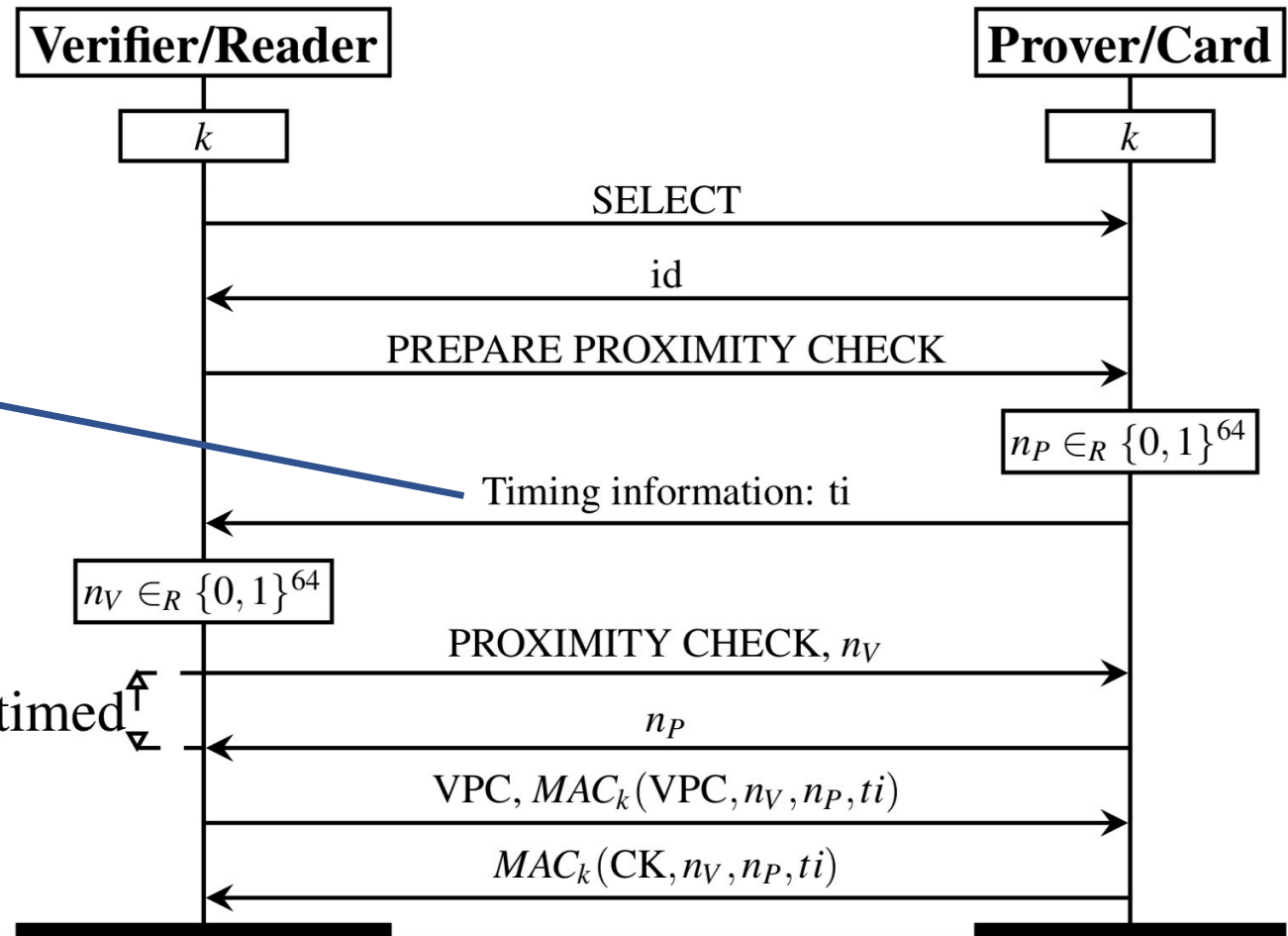


NXP distance bounding protocol

- NXP sell a distance bounding smart card.
- NXP have patented a distance bounding 😊
- Patent documents are really hard to read 😞

“This need may be met by the subject matter according to the independent claims. Advantageous embodiments of the present invention are set forth in the dependent claims.”

NXP Protocol.



Only in one
version

Can be split
into bytes

Applied pi-calculus

$\text{in}(x).P$

input

$\text{out}\langle x \rangle.P$

output

$P \mid Q$

two processes running in parallel

$!P$

infinite number of copies of process P

$\text{new } a.P$

a new name “ a ”, e.g. a nonce, session key

$\text{let } x=D \text{ in } P \text{ else } Q$

pattern matched e.g. encryption

$\text{event}(P)$

event used for testing

$t:P$

numbered phase jump, enforces order

Example

1. A -> B : na
2. B -> A : enc((na,nb), kab)
3. A -> B : nb

A and B correctly authenticate each other if for every:

- event(endA(na,nb)) there is a unique event(B_using(na,nb))
- event(endB(na,nb)) there is a unique event(A_using(na,nb))

```
A = new na. out c<na>.
    in c(x).let (=na,nb)=dec(x).
    event(A_using(na,nb)).
    out(nb).
    event(endA(na,nb))
```

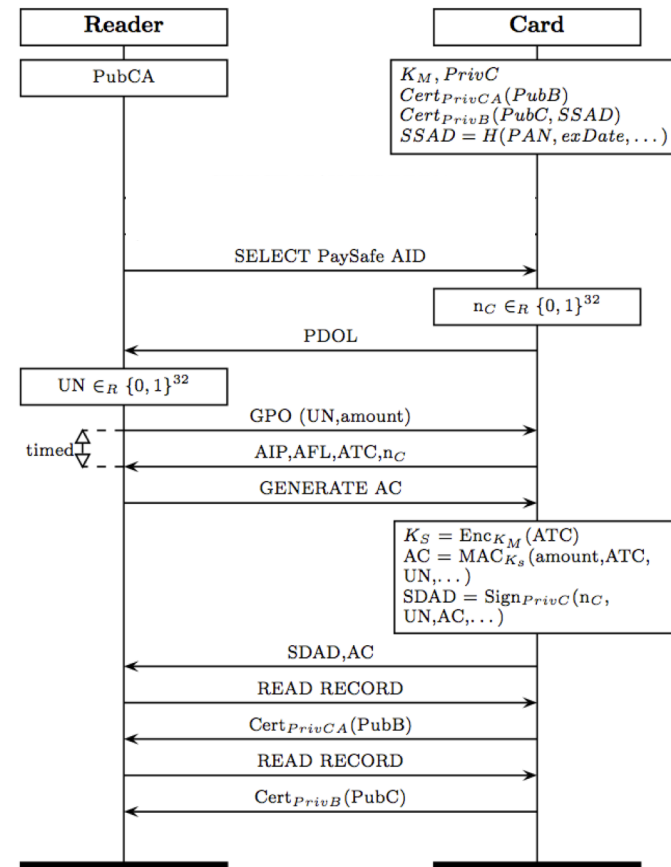
```
B = in(n). new nb.
    event(B_using(na,nb)).
    out c<enc((nb,na),kab)>.
    in(y).let (=nb) = y.
    event(endB(na,nb))
```

```
System = new kab.(!A | !B)
```

PaySafe Model

```

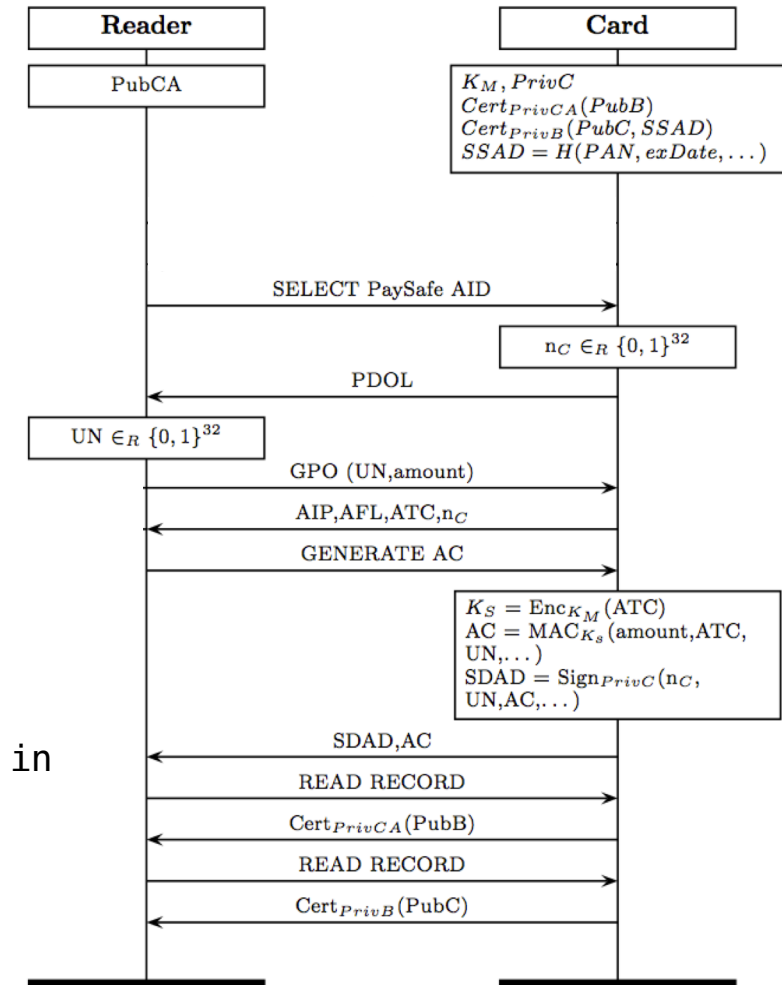
let Verifier =
  out c<SELECT,AID>.
  in c(pdol).
  new UN.
  out c<GET_PROCESSING_OPTIONS,UN,amount>.
  in c(aip,afl,NC).
  out c<GENERATE_AC>.
  in c(SDAD,AC).
  out c<READ_RECORD>.
  in c(cCert).
  let cKey, cId = checksign(cCert,getPubKey(BANK_ID)) in
  let (=UN,=NC,=rAmount,ATC,AC)=checksign(SDAD,cKey) in
  event Verified(cId).
  
```



PaySafe Model

```

let Prover =
  in c(=SELECT,=AID).
  new NC. new ATC.
  out c<PDOL>.
  in c(=GET_PROCESSING_OPTIONS,UN,amount).
  out c<AIP,AFL,cNC>.
  in c(=GENERATE_AC, amount).
  let macKey = genKey(cATC, sharedKey(idP)) in
  let AC = mac((cAmount,cUN,cATC), macSessionKey) in
  let SDAD = sign(UN,NC,amount,ATC,AC),getPrivKey(idP)) in
  out c<cSDAD,AC>.
  in c(=READ_RECORD).
  out c<cCardCert>.
  
```



Extended Applied pi-calculus for DB

$\text{in}(x).P$

$\text{out}\langle x \rangle.P$

$P \mid Q$

$!P$

$\text{new } a.P$

$\text{let } x = D \text{ in } P \text{ else } \text{Eg.}$

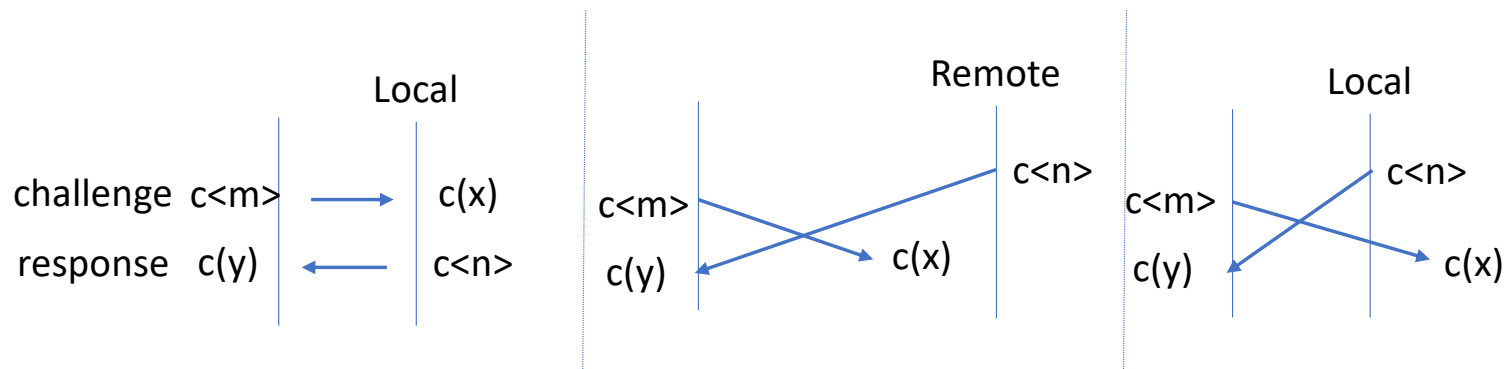
$\text{event}(P)$

$\text{startTimer}.P$

$\text{stopTimer}.P$

Locations: $L = [P]$ or $L \mid L$

$[\text{EMVCard}] \mid [\text{ShopReader}]$
 $[\text{EMVCard} \mid \text{ShopReader}]$



We write $[\text{Process}]_{\langle \text{number of timers running} \rangle}$

$$[\text{in } c(x).P \mid \text{out } c\langle n \rangle.Q]_r \rightarrow [P\{n/x\} \mid Q]_r$$

$$[\text{out } c\langle n \rangle.Q]_r \mid [P]_\emptyset \rightarrow [Q]_r \mid [\text{out } c\langle n \rangle \mid P]_\emptyset$$

$$[\text{out } c\langle n \rangle.Q]_r \rightarrow [\text{out } c\langle n \rangle \mid Q]_r$$

PaySafe Model

```
let Verifier =  
  out c<SELECT,AID>.  
  in c(pdol).  
  new UN.  
  out c<GET_PROCESSING_OPTIONS,UN,amount>.  
  in c(aip,afl,NC).  
  startTimer. out c<GENERATE_AC>.  
  in c(SDAD,AC). stopTimer.  
  out c<READ_RECORD>.  
  in c(cCert).  
  let cKey, cId = checksign(cCert,getPubKey(BANK_ID)) in  
  let (=UN,=NC,=rAmount,ATC,AC)=checksign(SDAD,cKey) in  
  event Verified(cId).  
  
Verifiers = !(new amount.!Verifier)  
Provers =  !(new id. let idP = id in  
  let cCert = sign(getPubKey(idP), idP),  
    getPrivKey(BANK_ID)) in  
  !event Start(idP). Prover ]  
  
[ Verifiers ] | [ Provers ]  
  
[ Verifiers | Provers ]
```

Defining DB Protocols

To define a DB protocol we $(P(id), V, n)$

- Provers $P(id)$ is of the form $P(id) = !\text{new } id.\text{new } n.\text{let } \dots !Q$
- Verifier V is of the form $V = !\text{new } n.V'$, and can perform event `verified(id)`.

We write: **verified(id):S** to mean the verifier accepts a run from prover “id”

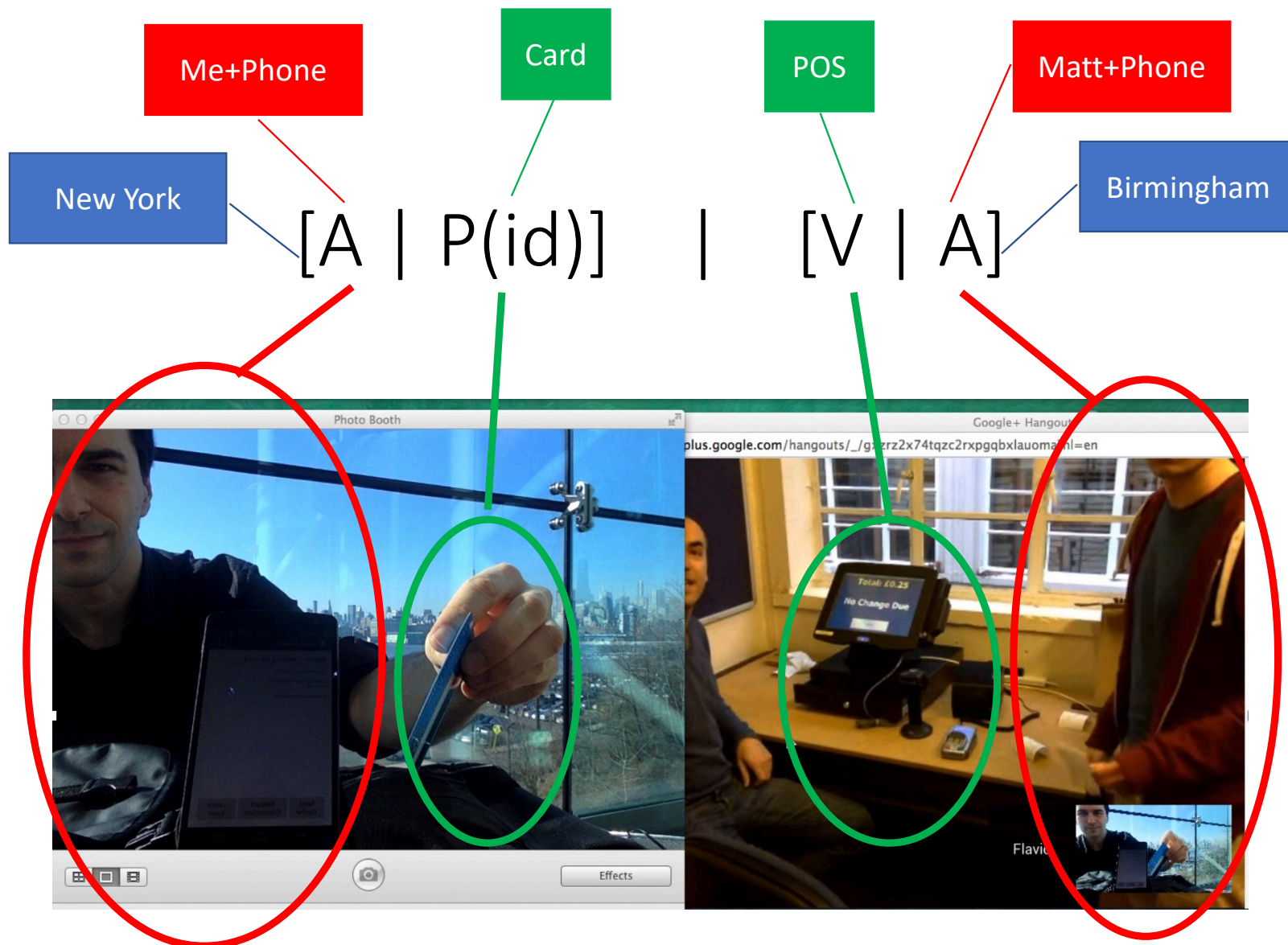
$$S \rightarrow^* [\text{new } id.P | X] | L \rightarrow [P\{a/id\} | X] \rightarrow^* \\ [\text{event}(\text{verified}(a) | Y) \quad | \quad R$$

We write “ $[V(id) | \dots] \quad | \quad \dots$ ” for “ $\text{verified}(id) : [V | \dots] \quad | \quad \dots$ ”

- E.g. $[V(id) | P(id')] \quad | \quad [P(id) | A]$

Definitions for the symbolic literature

- Relay/Mafia Fraud: attackers relay and interfere with messages
- Lone Distance Fraud: remote dishonest prover tricks the verifier
- Distance Hijacking: remote dishonest prover uses a local honest prover
- Terrorist Fraud: A remote dishonest prover* and local attacker
- Assisted Distance Fraud: remote dishonest prover* and local attacker and honest prover



Relay Attack

- There exists relay attack against the protocol P and V if there exists A such that

$$[V(id) | A] \mid [P(id) | A]$$

i.e.

$$\begin{aligned} & [V \mid A] \mid [P(id) \mid A] \\ \rightarrow^* & [X] \mid [new\ id.Q \mid Y] \\ \rightarrow & [X] \mid [Q\{a/id\} \mid Y] \\ & [event\ verified(a).R \mid W] \mid [Z] \end{aligned}$$

Distance Fraud

- Dishonest prover $DP-A(id) = !new\ id.<board\ cast\ all\ secret\ values> \mid A$
- **Lone Distance Fraud:** A dishonest prover remotely authenticates to a verifier.

$$[V(id)] \mid [DP-A(id)]$$

- **Distance Hijacking:** remote dishonest prover uses a local honest prover

$$[V(id) \mid P(id')] \mid [DP-A(id)]$$

Terrorist Frauds

- Terrorist Fraud, $TP-A(id)$: $= A \mid \text{oracle for all functions and values}$
- **Terrorist Fraud**: A remote dishonest prover* and local attacker
 $[V(id) \mid A] \mid [TP-A(id)]$
- **Assisted Terrorist Fraud**: remote dishonest prover* and local attacker and honest prover
 $[V(id) \mid P(id') \mid A] \mid [TP-A(id)]$
- **Assisted Distance Fraud**: remote dishonest prover* and local attacker and honest prover
 $[V(id) \mid DP-A(id')] \mid [TP-A(id)]$

Assisted Distance Fraud
[V(id) | DP-A(id')] | [TP-A(id)]

Distance Hijacking
[V(id) | P(id')] | [DP-A(id)]

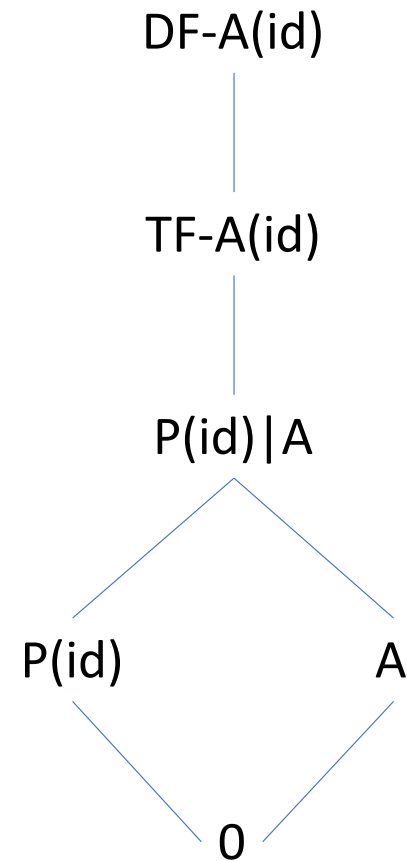
Distance Fraud
[V(id)] | [DP-A(id)]

Terrorist Fraud
[V(id) | A] | [TP-A(id)]

Mafia fraud/Relay
[V(id) | A] | [P(id) | A]

Props

- Our building blocks form a hierarchy.
- Each level is strictly more expressive than the one below.
- Replacing any process with the one above it, at a particular location, makes the attacker more powerful.



Some equalities between processes

When testing for “id”

- $P(id)$ is more powerful than $P(id')$
- $TP-A(id)$ is more powerful than $TP-A(id')$
- $DP-A-A(id)$ is more powerful than $DP-A-A(id')$

$$\begin{aligned} & [V(id)|A] \mid [P(id)|A] \\ &= [V(id)|A] \mid [P(id)|A \mid P(id')] \end{aligned}$$

$$P(id) = P(id) \mid P(id')$$

$$TP-A(id) = TP-A(id) \mid P(id')$$

$$TP-A(id) = TP-A(id) \mid TP-A(id')$$

$$DP-A-A(id) = DP-A-A(id) \mid P(id')$$

$$DP-A-A(id) = DP-A-A(id) \mid TP-A(id')$$

$$DP-A-A(id) = DP-A-A(id) \mid DP-A-A(id')$$

$$TP-A(id) = TP-A(id) \mid A$$

$$DP-A(id) = DP-A(id) \mid TP-A(id)$$

$$DP-A(id) = DP-A(id) \mid A$$

Assisted Distance Fraud
 $[V(id) | DP-A(id')] | [TP-A(id)]$

Distance Hijacking
 $[V(id) | P(id')] | [DP-A(id)]$

Distance Fraud
 $[V(id)] | [DP-A(id)]$

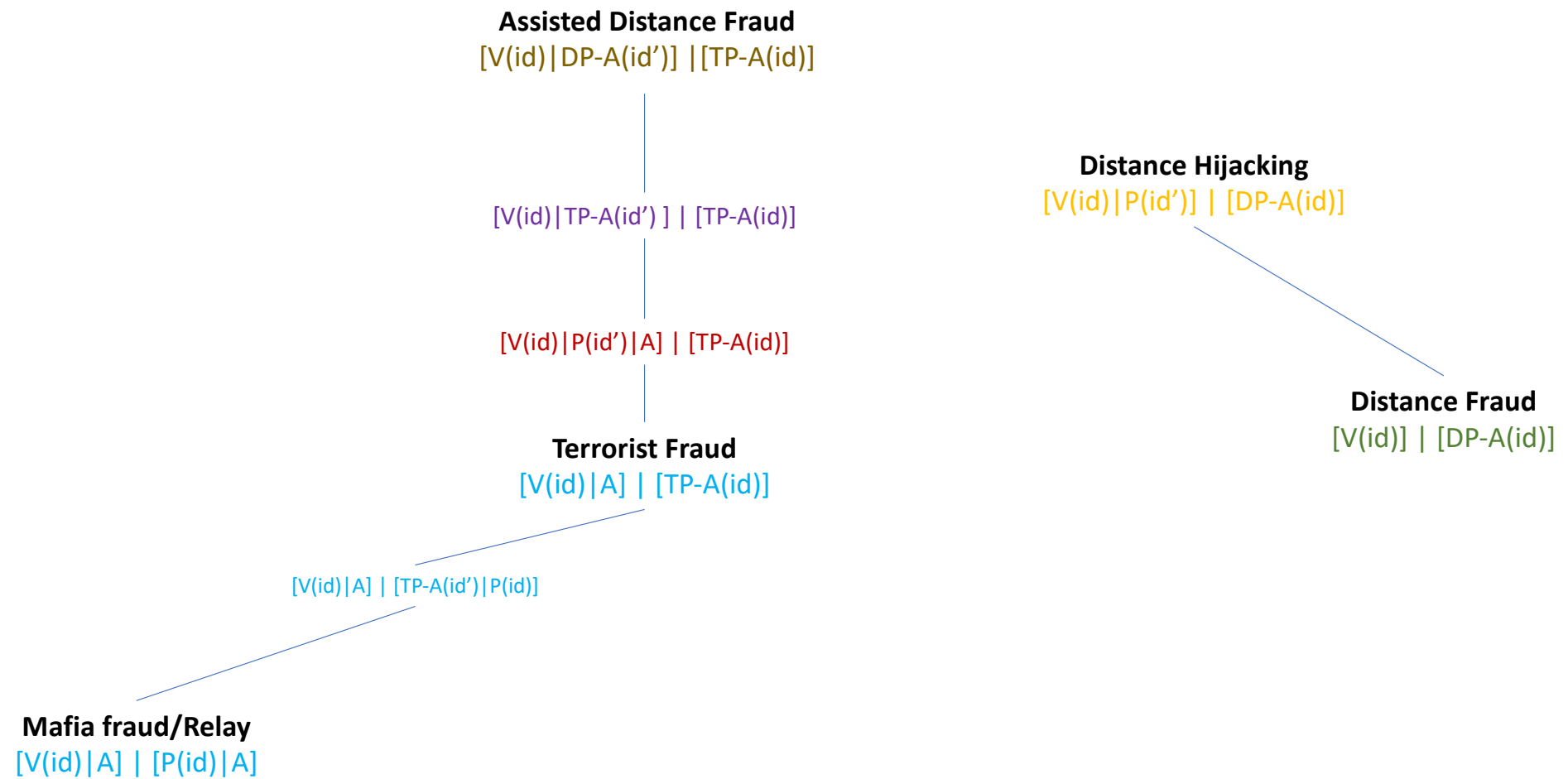
Terrorist Fraud
 $[V(id) | A] | [TP-A(id)]$

$[V(id) | A] | [TP-A(id') | P(id)]$

Mafia fraud/Relay
 $[V(id) | A] | [P(id) | A]$

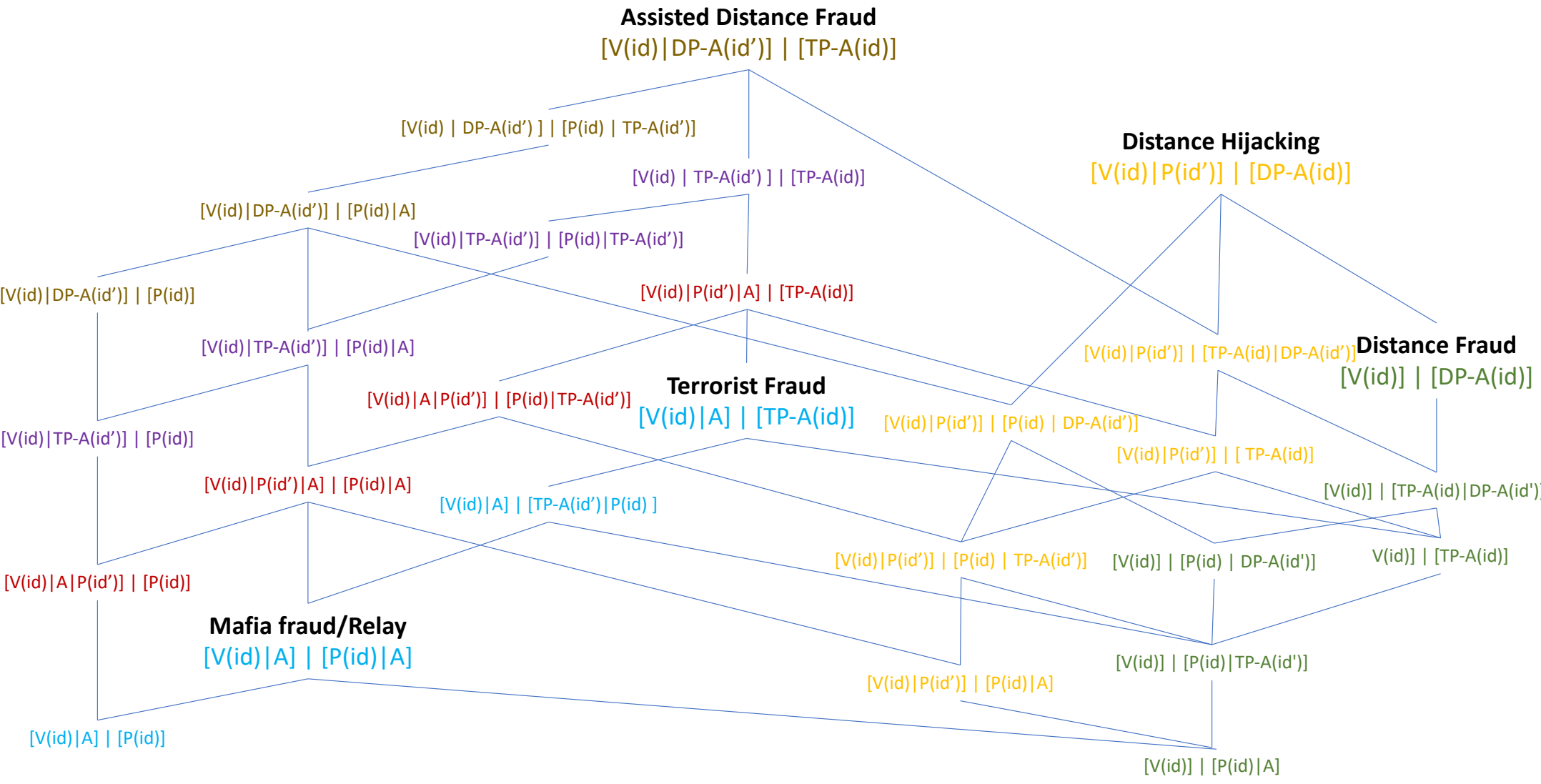
We have that:
 $TP-A(id) = TP-A(id) | A$
 $P(id) | A < TP-A(id)$
 $TP-A(id) = TP-A(id) | TP-A(id')$

$$\begin{aligned}
 & [V(id) | A] | [TP-A(id') | P(id)] \\
 &= [V(id) | A] | [TP-A(id') | P(id) | A] \\
 &< [V(id) | A] | [TP-A(id') | TP-A(id)] \\
 &= [V(id) | A] | [TP-A(id')]
 \end{aligned}$$



Other Properties

- All possible combinations of our processes give us 16,384 scenarios.
- We disregard scenarios in which the prover and verifier are co-located and there is a prover: 1,792 scenarios
- (For now) only one of $P(id), P(id) \mid A, TP-A(id), DP-A(id)$: 512 scenarios.
- Apply our inequalities: 72 scenarios.
- Apply our equalities: 28 scenarios.



Some Heuristics

If the prover doesn't time bound the verifier, and remote communication is possible (or uninteresting to us):

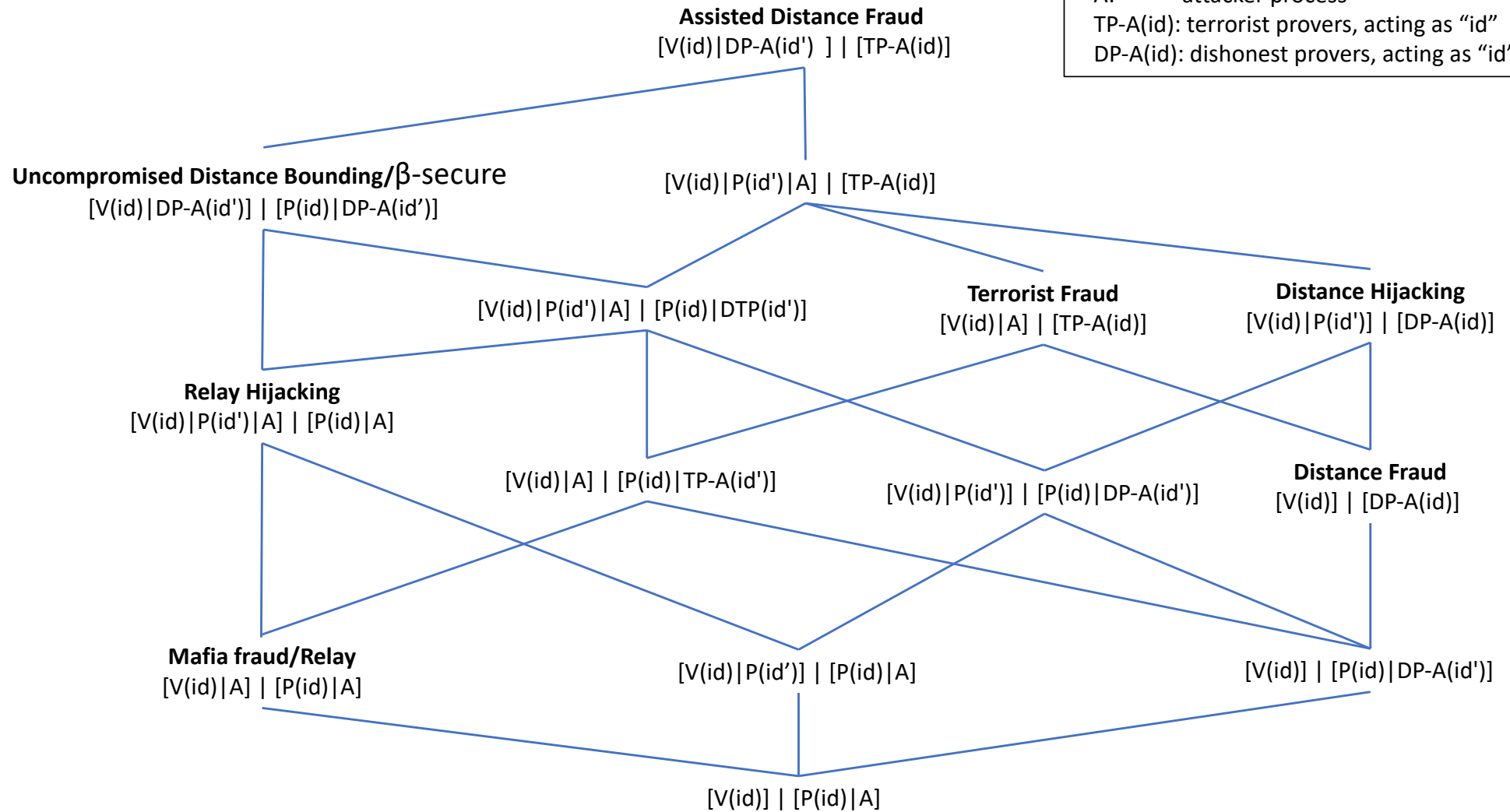
$$[V(id) \mid X \mid A] \mid [Y] \quad \text{vs.} \quad [V(id) \mid X \mid A] \mid [Y \mid A]$$

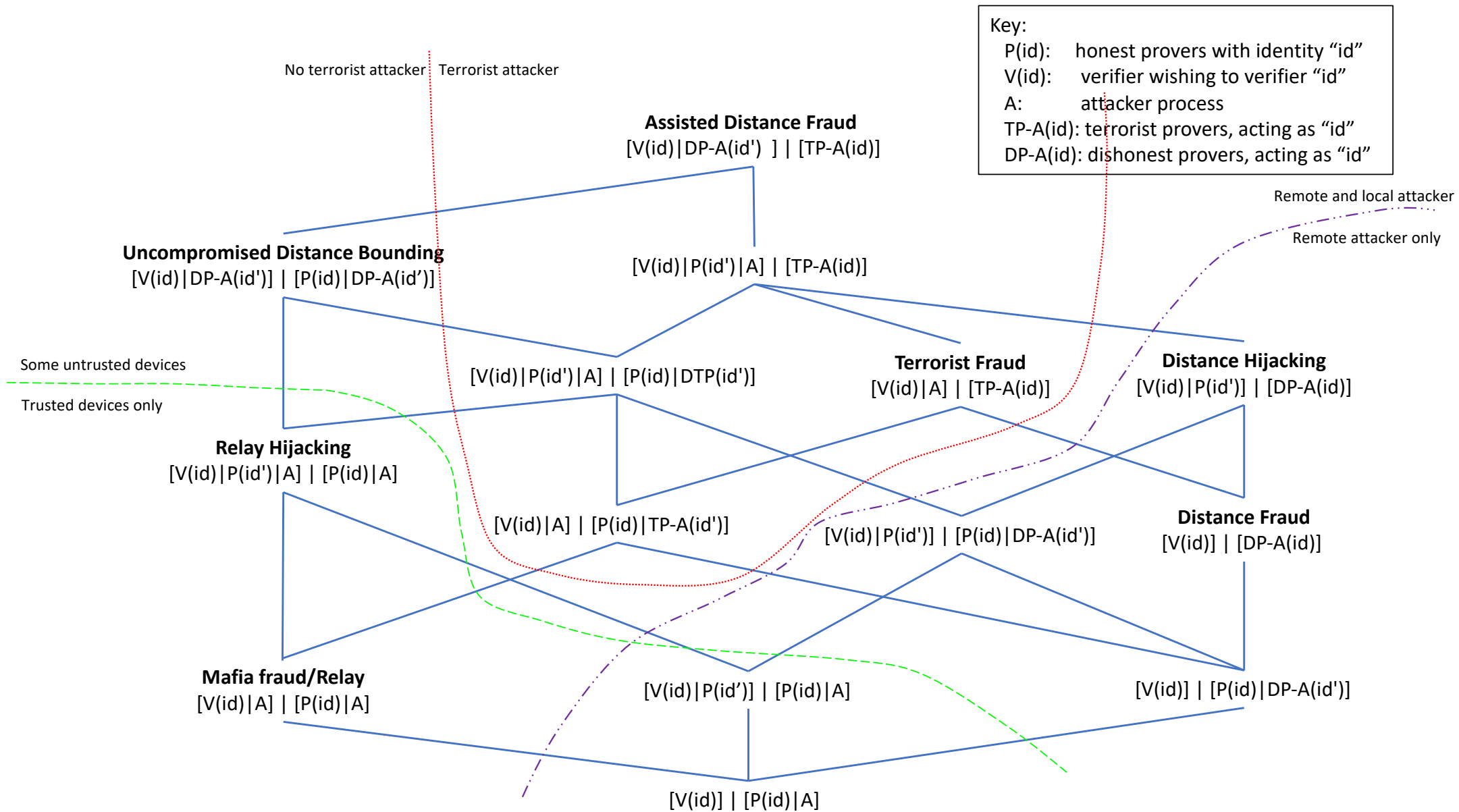
With no local attacker TP-A & DP-A will normally have the same power:

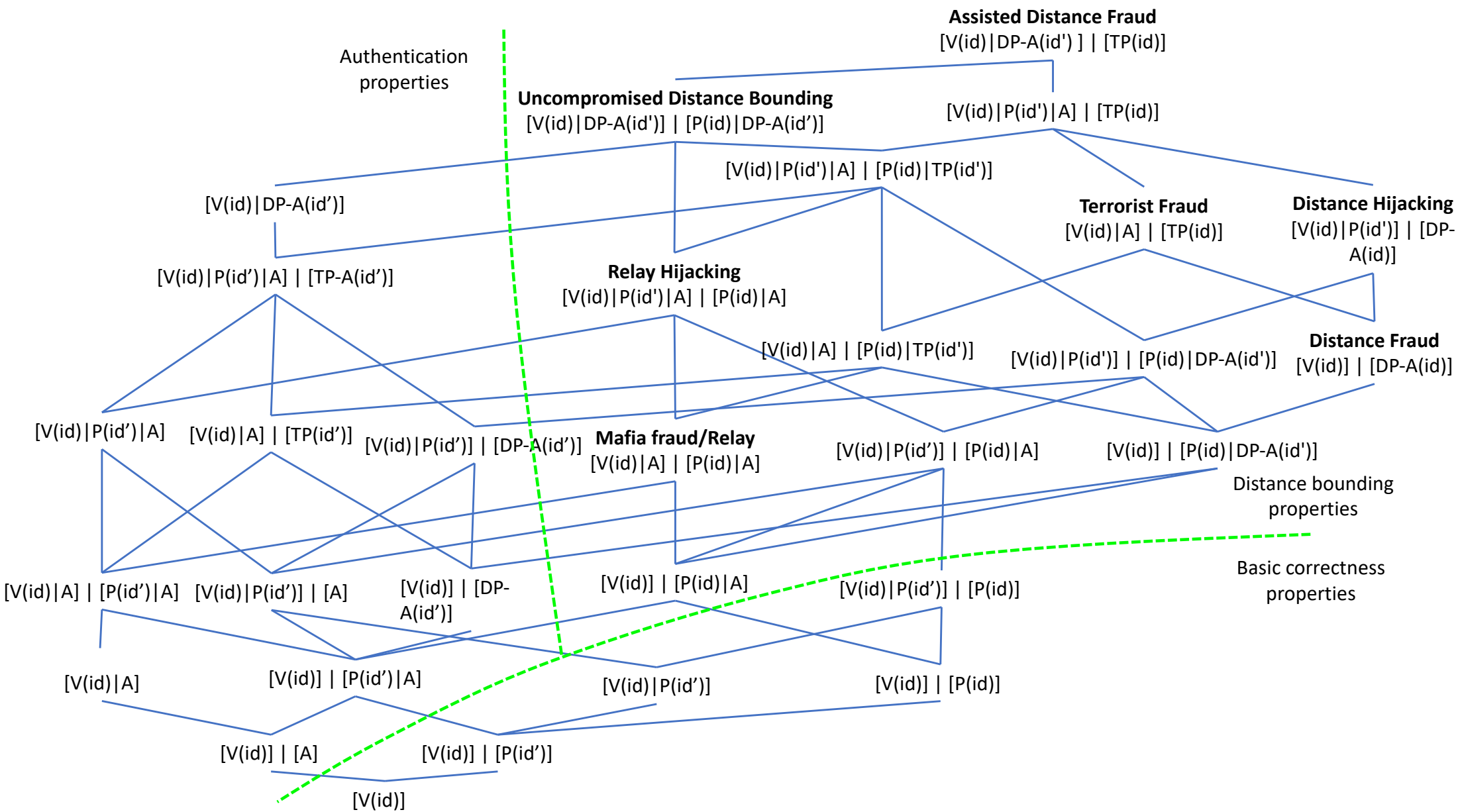
$$[V(id) \mid X] \mid [Y \mid \text{TP-A}(x)] \quad \text{vs} \quad [V(id) \mid X] \mid [Y \mid \text{DP-A}(x)]$$

Key:

- P(id): honest provers with identity "id"
- V(id): verifier wishing to verifier "id"
- A: attacker process
- TP-A(id): terrorist provers, acting as "id"
- DP-A(id): dishonest provers, acting as "id"







Checking Mobility

- What about a prover that is in range and then moves away?

We can check this as an injective correspondence

E.g. **Relay Hijacking:** $[V(id) \mid P^*(id) \mid A] \mid [P(id) \mid A]$

where $P^*(id)$ as $P(x)$, but starts with $\text{event}(\text{start}(id))$.

- We then check if:

$\text{event}(\text{verified}(id)) \Rightarrow \text{a unique event}(\text{start}(id))$.

Automatically Checking

- We translate our DB calculus into the applied pi-calculus, and use ProVerif to check processes automatically.
- The translation uses 3 phases:
 - Phase 1, before the timer start
 - Phase 2, while the timer is running
 - Phase 3, after the time stops.

startTimer jumps from phase 1 to phase 2.

stopTimer jumps from phase 2 to phase 3.

Process at the same location as the verifier can act in all phases

Process at a different location can only act in Phase 1 and Phase 2.

Papers

Financial Crypto 2015:

- PaySafe, idea and example of checking in the applied pi-calculus, automated checked of relay attacks.
- Current draft paper:
 - DB extensions, Hierarchy, MasterCard & NXP protocols. Automatic checking of all attacks.

Conclusion

- We build a model of distance bounding in which we abstract away from exact times:
 - All local communication and operations can be performed within the time bound
 - All communication with remote locations will take longer than the time bound.
- We enumerate and order possible symbolic DB properties
 - And link them to particular attacker models.
- Examples from MasterCard and NXP
- Links to computational model?